

SIDDHARTH INSTITUTE OF ENGINEERING & TECHNOLOGY:: PUTTUR
(AUTONOMOUS)

B.Tech II Year I Semester Regular & Supplementary Examinations December-2023

NUMERICAL METHODS AND TRANSFORMS

(Electronics and Communication Engineering)

Time: 3 Hours

Max. Marks: 60

(Answer all Five Units 5 x 12 = 60 Marks)

UNIT-I

- 1 a Find a positive root of the equation $x^3 - x - 1 = 0$ by Bisection method. CO1 L3 8M
 b What is the algorithm for the bisection method. CO1 L1 4M
- OR**
- 2 a Estimate a real root of the equation $xe^x - \cos x = 0$ by using Newton – Raphson method. CO1 L4 10M
 b Write formula for Regula-falsi method. CO1 L2 2M

UNIT-II

- 3 a Tabulate $y(0.1)$ and $y(0.2)$ using Taylor's series method given that $y' = y^2 + 1$ and $y(0) = 1$. CO2 L1 10M
 b State Taylor's series formula for first order differential equation. CO2 L1 2M
- OR**
- 4 Using modified Euler's method find $y(0.2)$ and $y(0.4)$, CO2 L3 12M
 given $y' = y + e^x, y(0) = 0$.

UNIT-III

- 5 a Find the Laplace transform of $f(t) = (\sqrt{t} + \frac{1}{\sqrt{t}})^3$. CO3 L3 6M
 b Find the Laplace transform of $f(t) = \cosh at \sin bt$ CO3 L3 6M
- OR**
- 6 a Find $L^{-1} \left\{ \frac{3s-2}{s^2-4s+20} \right\}$ by using first shifting theorem. CO3 L3 6M
 b Using Convolution theorem, Find $L^{-1} \left\{ \frac{1}{(s+a)(s+b)} \right\}$. CO3 L3 6M

UNIT-IV

- 7 a Using Laplace transform method to solve $y' - y = t, y(0) = 1$. CO4 L3 6M
 b Find the Fourier series for the function $f(x) = x$; in $-\pi < x < \pi$. CO4 L1 6M
- OR**
- 8 a Expand $f(x) = e^{-x}$ as a fourier series in the interval $(-1,1)$. CO4 L2 6M
 b Expand $f(x) = |x|$ as a fourier series in the interval $(-2,2)$. CO4 L2 6M

UNIT-V

- 9 a Find the Fourier transform of $f(x) = e^{-\frac{x^2}{2}}, -\infty < x < \infty$ CO5 L1 6M
 b If $F(p)$ is the complex Fourier transform of $f(x)$, then prove that the complex Fourier transform of $f(x) = \cos ax$ is $\frac{1}{2}[F(p+a) + F(p-a)]$ CO5 L5 6M
- OR**
- 10 Find the finite Fourier sine and cosine transform of $f(x)$ CO5 L1 12M
 defined by $f(x) = 2x$ where $0 < x < 2\pi$.

*** END ***

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